CorticalFlow⁺⁺: Boosting Cortical Surface Reconstruction Accuracy, Regularity, and Interoperability

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This work improves CorticalFlow's accuracy, regularity, and interoperability with existing surface analysis tools without severely degrading its inference time and GPU memory consumption.

1) Cortical Surface Reconstruction from MRI (CSR):



3c) White To Pial Surface Morphing

CorticalFlow deforms separate template meshes leading to reconstructed meshes without a one-to-one mapping between the vertices in the white and pial surfaces. Instead, CorticalFlow++ predicts pial surfaces by deforming its corresponding predicted white surface.

2) CorticalFlow Model



$$egin{aligned} \mathsf{CF}^{i+1}_{ heta_{i+1}}(\mathbf{I},\mathcal{T}_{i+1}) &= \mathsf{DMD}\Big(\mathsf{UNet}^{i+1}_{ heta_{i+1}}(\mathbf{U}^\frown_1\cdots\mathbf{U}^\frown_i\mathbf{I}),\mathsf{CF}^i_{ heta_i}(\mathbf{I},\mathcal{T}_{i+1})\Big) \ & \mathsf{CF}^1_{ heta_1}(\mathbf{I},\mathcal{T}_1) &= \mathsf{DMD}\Big(\mathsf{UNet}^1_{ heta_1}(\mathbf{I}),\mathcal{T}_1\Big) \end{aligned}$$

3a) Higher Order ODE Solver

DMD modules compute per vertex diffeomorphic mappings Φ from the predicted flow field **U** by solving the flow ODE,



4) Results:

ADNI Benchmark

CorticalFlow CorticalFlow ++



$$rac{d\Phi(s;\mathbf{x})}{ds} = \mathbf{U}\left(\Phi(s;\mathbf{x})
ight), ext{with} \ \ \Phi(0;\mathbf{x}) = x$$

CorticalFlow uses the forward **Euler** method,

$$\hat{\Phi}(h,\mathbf{x}) = \mathbf{x} + h \mathbf{U}(\mathbf{x}),$$

While **CorticalFlow++** uses the **RK4** method:

$$egin{aligned} \hat{\Phi}(h,\mathbf{x}) &= \mathbf{x} + rac{1}{6} ig[k_1 + 2k_2 + 2k_3 + k_4ig] \ k_1 &= \mathbf{U}\left(\mathbf{x}
ight) \quad k_2 = \mathbf{U}\left(\mathbf{x} + hrac{k_1}{2}
ight) \quad k_3 = \mathbf{U}\left(\mathbf{x} + hrac{k_2}{2}
ight) \quad k_4 = \mathbf{U}\left(\mathbf{x} + hk_3
ight) \end{aligned}$$

3b) Smooth Templates



CorticalFlow's template and generated mesh artifacts

Procedure:

- 1. Compute a **signed distance grid** for every training mesh.
- 2. Threshold and compute the **binary union** of these grids.
- 3. Use marching cubes algorithm to obtain a coarse mesh.
- 4. Smooth the coarse mesh by applying laplacian smoothing.
- 5. Remesh using **delaunay triangulation**.
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CorticalFlow++'s

template

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